

## Introduction

## Definition:

Population dynamics is the study of marginal and long-term changes in the numbers, individual lengths and weights, and age composition of individuals in one or several populations, and biological and environmental processes influencing those changes.

A population is affected by three dynamic rate functions:

1. Natality or Birth rate [often recruitment; reaching a certain size or reproductive stage].
2. Mortality, which includes harvest mortality and natural mortality.
3. Growth rate, which measures the growth of individuals in size and length.


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## Introduction

$\rightarrow$ Population dynamics is crucial for fisheries management purposes.

Relatively easy to obtain for most fish species:

- maximum age and size.
- length-weight relationships.

More difficult to obtain:

- growth parameters.
- (natural) mortality estimates.
- Recruitment variability and recruitment time series.



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## Introduction

These points were so important for tropical fisheries research that they provided a good reason to create a database in 1987. This database became FishBase.


This vision however:

- Underestimated the number of species to be included in FishBase (now 33,500 species).
- Overestimated the number of species for which growth parameters and related information exist:
- growth parameters for about 2000 species are reported in FishBase.
- however, the treated species belong to $95 \%$ of the world's fisheries.

Similarly, the stocks for which over 750 time series of recruitment are included belong to the beststudied and most important single-species stocks in the world.


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## Recruitment (Natality)

* Recruitment fluctuations determine the annual catch levels of fisheries.
* Precise prediction of future recruitment is not possible, but broad generalizations are possible.
* The more recruitment time series are available from various parts of the world, the more precise and reliable will the generalizations be.



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## Recruitment (Natality)



FishBase gives a list with all stocks for which a recruitment series exist, if available.

A 'stock' consists of a group of individuals of a species which can be regarded as an entity for management or assessment purposes.


| R.A. Myers et al's Recruitment Series for Gadus morhua |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Locality |  | c.V. (recr.)\% |  | Recruitment series |  | * |
|  | - | - ${ }^{\circ}$ | Begin | - | End | * |
| NAFO 233KL |  | 108.4 | 1850 |  | 1993 |  |
| Iceland |  | 47.0 | 1905 |  | 1998 |  |
| NAFO 4TVn |  | 50.4 | 1917 |  | 1993 |  |
| Faroe Plateau |  | 68.3 | 1924 |  | 1995 |  |
| North East Arctic |  | 86.3 | 1930 |  | 1991 |  |
| North East Arctic |  | 75.8 | 1930 |  | 1991 |  |
| North East Artic |  | 108.5 | 1930 |  | 1991 |  |
| North Sea |  | 66.0 | 1930 |  | 1994 |  |
| North East Arctic |  | 80.8 | 1946 |  | 1993 |  |
| NAFO 4X |  | 34.9 | 1948 |  | 1994 |  |
| Nafo 3 No |  | 119.4 | 1953 |  | 1993 |  |
| West Greenland (NaFO 1) |  | 705.9 | 1955 |  | 1992 |  |
| Greenland offshore component |  | 710.1 | 1955 |  | 1992 |  |
| NAFO 3M |  | 190.8 | 1956 |  | 1984 |  |
| NaFo 4vsw |  | 56.2 | 1958 |  | 1993 |  |
| NaFO 3ps |  | 36.5 | 1959 |  | 1993 |  |
| Nafo 5 S |  | 41.7 | 1960 |  | 1991 |  |
| NAFO 5 Y |  | 189.0 | 1960 |  | 1997 |  |
| NAFO 52 |  | 68.1 | 1960 |  | 1996 |  |
| Nafo $5 z$ |  | 134.4 | 1960 |  | 1997 |  |
| NAFO 3Pn4RS |  | 72.3 | 1961 |  | 1993 |  |
| NAFO 3Pn4RS |  | 171.2 | 1961 |  | 1997 |  |
| Baltic Areas 22 and 24 |  | 84.5 | 1965 |  | 1992 |  |
| Baltic Areas 25-32 |  | 63.7 | 1965 |  | 1995 |  |
| ICES Via |  | 49.6 | 1966 |  | 1993 |  |
| Irish Sea |  | 57.7 | 1968 |  | 1995 |  |
| Celtic Sea |  | 94.8 | 1971 |  | 1994 |  |
| Kattegat |  | 64.9 | 1971 |  | 1992 |  |
| Skagerrak |  | 35.2 | 1971 |  | 1992 |  |
| ICES VIId |  | 127.5 | 1976 |  | 1994 |  |
| NAFO 3M |  | 488.0 | 1977 |  | 1990 |  |
| Flemish Cap (NaFO Div. 3M) |  | 586.2 | 1988 |  | 1997 |  |

R.A. Myers et al's Recruitment Series for Gadus morhua

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## Recruitment (Natality)

## FishBase

## Recruitment Series for Gadus morhua

> Time series graph (loading may take $2-3$ mins.)
> S-R Plot (loading may take $2-3$ mins.)
> Ransom A. Myers and colleagues
> Dalhousie University, Halifax, N.S., Canada

| Common Name | Cod |
| :---: | :---: |
| Locality | Flemish Cap (NAFO Div. 3 M ) ( $47^{\circ} \mathrm{N}, 45^{\circ} \mathrm{W}$ ) |
| Year | 1988-1997 |
| Country |  |
| Method for deriving time series | SPA |
| Age group for estimating F | 05-Mar |
| Age at recruitment | 1 (full years) |
| C.V. (recr.) | 586.2 \% |
| Remarks | Natural mortality (1/y): 0.2. Spawning location: Shelf. Spawning/egg type: Oviparous, pelagic. Egg diameter: 1.4 mm . Length at hatching: 3 mm . Length at metamorphosis: 24 mm . Change in length during larval phase: 21 mm |

Different methods are used to derive a time series of recruitment:


1/ direct counts.
2/ catch/effort data.
3/ electro-fishing.
4/ mark-recapture.
5/ sequential population analysis (SPA/APV).
6/ stock reconstruction.
$7 /$ research survey.
8/ (see additional information).


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## Recruitment (Natality)

## FishBase

## Recruitment Series for Gadus morhua



## It is possible to make different graphs in FishBase based on the present data:



Time series graph


Stock-recruitment relationship

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## Mortality



Louisiana (U.S.A.) 2010:
A 'dead zone' is a hypoxic zone (lack of dissolved oxygen) located in an aquatic environment. These zones have an increasingly important impact on fisheries and ecosystems.

## Mortality

## Z = F + M

Mortality is the rate of deaths from various causes. Usually it is on an annually basis in terms of proportion of the stock dying.

The total mortality $(Z)$ is the mortlity of fishes caused by all different reasons. It is the sum of:
$1 /$ the fishing mortality ( $F$ ), or the mortality of fishes which are being removed from the stock by fishing. 2/ the natural mortality (M), or the mortality within the late juvenile and adult phases of a population caused by predation, diseases, pollution,...

For unexploited stocks: $\mathbf{Z}=\mathbf{M}$


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## Mortality

The natural mortality ( M ) is estimated from the maximum length and the water temperature. It is one of the most difficult parameters to estimate from exploited stocks. Therefore estimates from empirical models are made: based on growth coefficients, length at first maturity, maximum size, or maximum age. The natural mortality rate is variable (e.g. in function of predator biomass).

The fishery mortality rate ( $F$ ) can have a value of 0 for no fishing, up to very high values like 1,5 or 2, which
 indicates that the number of caught fish is 1,5 to 2 times the number of fish at the start of the fishing season.


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## Mortality

## Maximum age and size



| List of Population Characteristics records for Bagrus docmak |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $n=5$ |  |  |  |  |  |  |  |  |  |  |  |  |
| Sex | $\stackrel{\rightharpoonup}{*}$ | Wmax | * | Lmax (cm) | - | Tmax (y) | - |  | Country | $\stackrel{\rightharpoonup}{*}$ | Locality | * |
| unsexed |  | 46.0 kg |  |  |  |  |  | Uganda |  |  | Murchison Falls, Victoria Nile, unknown |  |
| unsexed |  | 5.3 kg |  | 71 |  |  |  | Chad |  |  | Mayo Kebbie, Chad |  |
| unsexed |  | 15.0 kg |  | 110 |  |  |  |  |  |  | Lake Albert |  |
| unsexed |  | 20.0 kg |  | 115 |  |  |  | Congo Dem Rp |  |  | Lake Edward, 1988 |  |
| unsexed |  | 33.0 kg |  | 120 |  |  |  |  |  |  | Nile river |  |


| Population Characteristics of Bagrus docmak |  |  |
| :---: | :---: | :---: |
| Main Ref. | 13302 |  |
| Sex | unsexed | Data Ref. 13302 |
| Wmax | 20.0 kg total weight |  |
| Lmax (cm) | 115 FL |  |
| Tmax (y) |  |  |
| Locality | Lake Edward, 1988 |  |
| Country | Congo Dem Rp |  |
| Comments |  |  |

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## Mortality

## FishBase

## Maximum age and size

This page can be considered as the FishBase answer to the book 'Guiness Book of Records'.
$\Rightarrow$ The whale shark is the largest and heaviest fish.

Rhincodon typus Smith, 1828
Length: $\mathbf{2 0}$ m TL
Weight: 34.000 kg

$\Rightarrow$ The rougheye rockfish is the longest-living fish.

Sebastes aleutianus (Jordan \& Evermann, 1898)
Age: 205 years

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## Mortality

## FishBase

## Maximum age and size



Length distribution of tropical fishes (॰) vs. All other fishes in FishBase (॰).

© Jens Petersen

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## Growth rate



## Growth rate

Growth parameters in FishBase are based on the von Bertalanffy Growth Function (VBGF). This is the most used growth model for aquatic animals. It is introduced by von Bertalanffy in 1938 and predicts the length of a fish as a function of its age.

$$
L_{t}=L_{\infty}\left(1-e^{-K\left(t-t_{0}\right)}\right)
$$


$L_{t}=$ the predicted mean length of a fish of a given population at age $t$.
$\mathrm{L}_{\infty}=$ the mean asymptotic length (the length a fish could reach at an infinitely high age).
$\mathrm{K}=$ the growth coefficient (with units of reciprocal time). $\mathrm{t}_{0}=$ the theoretical (and generally negative) age the fish would have at zero length, provided by an extrapolation of the VBGF.
$K$ is often called a growth constant, but it can change when fish grow.



## Growth rate

Similarly, the von Bertalanffy Growth Function (VBGF) can be made based on weight instead of length.

$$
W_{t}=W_{\infty}\left(1-e^{-K\left(t-t_{0}\right.}\right)^{b}
$$


$W_{t}=$ the predicted mean weight of a fish of a given population at age $t$.
$\mathrm{W}_{\infty}=$ the mean asymptotic weight (the weight a fish could reach at an infinitely high age).
$\mathrm{K}=$ the growth coefficient (with units of reciprocal time).
$\mathrm{t}_{0}=$ the theoretical (and generally negative) age the fish
would have at zero length, provided by an extrapolation of the VBGF.
b = the exponent of the length-weight relationship.

$$
W=a L^{b}
$$

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## Growth rate

$\rightarrow$ Growth models which do not explicitly consider seasonal oscillations fail to capture an essential aspect of the growth process.
$\rightarrow$ Moreover, in a tropical environment differences in temperature between winter and summer as small as $2^{\circ} \mathrm{C}$ are sufficient enough to induce seasonal growth oscillations which, while not visually detectable, are still statistically significant.
$\rightarrow$ The growth model which fits best with seasonal growth oscillations is probably the growth model of Somer (1988):

$$
L_{t}=L\left(1-e^{-\left(K\left(t-t_{0}\right)+S_{t}-s_{t_{0}}\right)}\right)
$$

$L_{t}=$ the predicted mean length of a fish of a given population at age $t$.
$\mathrm{K}=$ the growth coefficient (with units of reciprocal time).
$\mathrm{t}_{0}=$ the theoretical (and generally negative) age the fish would have at zero length, provided by an extrapolation of the VBGF.

Defined as in the standard VBGF.
$\mathrm{t}_{\mathrm{s}}=$ the time between $\mathrm{t}=0$ and the start of a sinusoid growth oscillation.

For visualisation, it helps to define WP (Winter Point), which expresses the period of time when the growth is slowest.

$$
W P=t s+0,5
$$

The WP is often near 0,1 in the northern hemisphere (mid-February) and 0,6 in the southern hemisphere (mid-August), hence its name.


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$\rightarrow$ The growth model which fits best with seasonal growth oscillations is probably the growth model of Somer (1988):

$$
L_{t}=L\left(1-e^{-\left(k\left(t-t_{0}\right)+s_{t}-s_{t_{0}}\right)}\right)
$$

C indicates the amplitude of the growth oscillations:

$$
S_{t}=\left(C \frac{K}{2^{\pi}}\right) \sin ^{\pi}\left(t-t_{s}\right)
$$

$$
S_{t_{0}}=\left(C \frac{K}{2^{\pi}}\right) \sin ^{\pi}\left(t_{0}-t_{s}\right)
$$

- When $\mathrm{C}=0$, the equation reverts to the standard VBGF.
- When $\mathbf{C = 0 , 5}$, the seasonal growth oscillations are such that growth is increased by $50 \%$ at the peak of the growth season in summer and, briefly, reduced by $50 \%$ in winter.
- When $\mathbf{C = 1}$, growth increases by $\mathbf{1 0 0 \%}$; it doubles during summer and becomes $\mathbf{0}$ in the depth of winter.



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## Growth rate

## Length-Weight relationship

$$
W=a L^{b}
$$

$\mathrm{W}=$ total fish weight (g).
$L=$ total fish length(cm).
a = a condition factor, for comparing fish of the same species. It varies between species and may vary based on sex and season.
$\mathbf{b}=\mathbf{a n}$ exponent describing the growth.

$$
\text { Fulton's condition factor }(K) \text { : } \quad K=\frac{10^{N} W}{L^{3}}
$$

Example: Salmo trutta Linnaeus, 1758

© DPI, The State of Victoria

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## Growth rate

## Length-Weight relationship

$$
W=a L^{b}
$$

$\mathrm{W}=$ total fish weight (g).
$L=$ total fish length(cm).
$\mathrm{a}=\mathbf{a}$ condition factor, for comparing fish of the same species. It varies between species and may vary based on sex and season.
b = an exponent describing the growth.
$1 / b=3$ : the growth is isometric and the organism will grow uniformly; the fish has a consistent body form and specific gravity.

$2 / b>3$ ou $b<3$ : the growth is allometric (positive or negative).
There is a different growth of a part of the organism in relation to the growth of the whole organism or some other part of it.


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## Growth rate

## Length-Weight relationship

## $W=a L^{b}$ Atter log-transtormation $\log W=\log a+b \log L$




## Growth rate

## FishBase

## Length-Weight relationship

| More information |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Countries | Common names | Age/Size | References | Collaborators |
| FAO areas | Synonyms | Orowir | Aquaculture | Pictures |
| Ecosystems | Metabolism | Length-weight | Aquaculture profile | Stamps, Coins |
| Occurrences | Predators | Length length | Strains | Sounds |
| Introductions | Ecotoxicology | Length frequencies | Genetics | Ciguatera |
| Stocks | Reproduction | Morph metrics | Allele frequencies | Speed |
| Ecology | Maturity | Morph logy | Heritability | Swim. type |
| Diet | Spawning | Larvae | Diseases | Gill area |
| Food items | Fecundity | Larval dynamics | Processing | Otoliths |
| Food consumption | Eggs | Recruilment | Mass conversion | Brains |
| Ration | Egg development | Abund nnce | Vision |  |

FishBase contains information on the relation between the length and weight in different populations.


Refresh Download selected data Bayesian analysis
Preliminary parameter estimates are provided below, based on your selection of studies and weighted by the scores.
You may want to exclude or give less weight to studies that are far from the regression line in the graph
Selected studies $=8$, geometric mean $\mathbf{a}=0.0089$, mean $\mathbf{b}=2.98, \mathbf{S D} \log 10(W)=0.0000, \mathbf{S D} \log 10(a)=0.3254 \mathbf{S D} \mathbf{b}=0.2927$
Estimate weight for given length: $0.0 \quad(\mathrm{~cm})=0.00$
(g) $95 \%$ range 0.00
0.00
(g)

Include Genus Include Family
Search for more references on length-weight: Scirus

## Growth rate

## Length-Weight relationship

| Length-Weight Relationship for Bagrus docmak |  |  |  |
| :---: | :---: | :---: | :---: |
| Main Ref. :8992 |  |  |  |
| Data Ref. :8992 |  |  |  |
| Length (cm) : $8.4-32.0 \mathrm{SL}$ |  |  |  |
| Number of fish : 123 |  |  |  |
| Sex of fish: unsexed |  |  |  |
| Method: \|type I linear regression |  |  |  |
| a: 0.01000 |  |  | conmaence |
| b: 2.987 |  |  | confidence li |
| $\mathbf{r}^{\mathbf{2}}: 0.956$ |  |  |  |
| Estimate doubtful ?: |  |  |  |
| Locality : Volta River |  |  |  |
| Country : Ghana |  |  |  |
| Comments: |  |  |  |
| Calculated weight: | 10 | $\mathrm{cm} \mathrm{SL}=>9.71 \mathrm{~g}$ | Recalculate |



There are different methods to determine the values for $a$ and $b$ :
1/ linear regression type I (predictive) - linear regression of logW vs. logL.
2/ linear regression type II (functional)- linear regression of logW vs. logL.
3 / non-linear regression of $W$ vs. L.
4/ algorithm of Pauly \& Gayanilo (1996) - from length-frequency samples and their bulk weights.
5 / by setting $b=3$ and using a single pair of $L-W$ values to calculate $a$.
$6 /$ by setting $b=3$ and using the geometric mean of $L$ and $W$ values to calculate $a$.
7 / any other method (specified in the 'comments'-field).

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## Growth rate

## Length-Weight relationship

| Length-Weight Relationship for Bagrus docmak |  |  |  |
| :---: | :---: | :---: | :---: |
| Main Ref. :8992 |  |  |  |
| Data Ref. :8992 |  |  |  |
| Length (cm) : $8.4-32.0 \mathrm{SL}$ |  |  |  |
| Number of fish : 123 |  |  |  |
| Sex of fish : unsexed |  |  |  |
| Method thme linear regrescion |  |  |  |
| a: 0.01000 95 |  |  | confidence li |
| b: | 2.98 |  | confidence li |
|  | 0.956 |  |  |
| Estimate doubtful ? : |  |  |  |
| Locality : | Volta River |  |  |
| Country : | Ghana |  |  |
| Comments: |  |  |  |
| Calculated weight: | 10 | $\mathrm{cm} \mathrm{SL}=>9.71 \mathrm{~g}$ | Recalculate |



The length-weight relationship can be predicted. This prediction won't be perfect, so we need to be able to say how strong that relationship is, or how the line fits the data.
$r$ = the correlation coefficient. It indicates the extend to which the pairs of numbers for the two variables lie on a straight line.

- $r= \pm 1$ : perfect linearity.
- $r>1$ : trend is upwards.
- $r<1$ : trend is downwards.

If there is no linear trend, $r$ is close to 0 . A correlation of 0,9 is very strong.


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## Growth rate

## Length-Weight relationship



## Growth rate

## Length-Length relationship




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## Growth rate

## Length frequencies




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## Growth rate

## Length frequencies

| More information |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Countries | Common names | Age/Size | References | Collaborators |
| FAO areas | Synonyms | Growth | Aquaculture | Pictures |
| Ecosystems | Metabolism | Length-weight | Aquaculture profile | Stamps, Coins |
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| Ration | Egg development | Abundance | Vision |  |



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## Growth rate

## Length frequencies



$$
W=a L^{b}
$$

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## Growth rate

## FishBase

## Length frequencies



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## Growth rate

## FishBase

## Length frequencies



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## Length-Frequency Wizard

## FishBase


Proceed Exit Background

Note: It is assumed here (1) that the L-F sample covers a wide range of lengths, (2) that gear selection is accounted for and (3) that the sizes of monthly samples are more or less equal if the total sample is accumulated over more than one month. Accumulated samples should include altogether at least 500 specimens. If L-F data stem from a single sample it should include at least 1000 specimens. A good sample would be accumulated over 6 or more months and include over 1500 specimens.


## Length-Frequency Wizard

## FishBase

Length-Frequency Analysis Wizard (Limnothrissa miodon)
Step 2: Data Entry
The maximum reported length for this species is 17 cm SL . The 'Max. age \& size' table may contain additional maximum length values for different areas. Please enter the maximum length known for your population and the espective length type ( $\mathrm{TL}=$ total length, $\mathrm{SL}=$ standard length, $\mathrm{FL}=$ fork ength).
Maximum length: 17.0 (cm)
Length type: TL
Please enter the mid-ranges of your length classes and the number of fish counted therein. Separate entries by a space and use point as decimal symbol (see example). [1]

| Proceed | Back Exit | Background |
| :--- | :--- | :--- |
| Length $(\mathrm{cm})$ Frequency $(\mathrm{n}$  <br> 5.25 o   <br> 5.750   |  |  |


| Length (cm) Frequency (n. |
| :--- |
| 5.250 |
| 5.750 |
| 6.250 |
| 6.750 |
| 7.250 |
| 7.751 |
| 8.250 |
| 8.753 |
| 9.25 |
| 9.754 |
| 10.257 |
| 10.754 |
| 11.25 |
| 11.75 |
| 12.25 |
| 12.75 |
| 13.250 |
| 13.750 |
| 14.250 |
| 14.75 |
| 15.250 |

Proceed Back Exit
Example
52.512 .0
57.514 .0
62.523 .0

Note: For the calculation of natural mortality in Step 7 we need the length type in TL. For some species such as tunas the difference between TL and FL is small, and thus FL data can be treated as TL. Otherwise see our ' L-L relationship' table for conversions of length types.


## Length-frequency graph

## Length-Frequency Wizard

Length-Frequency Analysis Wizard (Limnothrissa

Step 4: Length-Weight Relationship
In this step we calculate the weight of the fish in your Length-Frequency sample. We use a length-weight relationship of the form $W=\mathbf{a}^{*} \mathrm{~L}^{\wedge} \mathbf{b}$ from FishBase with the same length-type as in your sample, if available. You can replace the values for $\mathbf{a}$ and $\mathbf{b}$ if you have better estimates (length in cm , replace the values for $\mathbf{a}$ and $\mathbf{b}$ if you have better estimates (length in cm ,
weight in g ). Additional length-weight estimates for this species may be weight in g). Additional length-weight estimates for this species may be
available in the 'Length-weight' table. If no length-weight relationship is available in the 'Length-weight' table. If no length-weight relationship is
available set $b=3.0$ and $a=0.1$ for short and round fishes, $a=0.01$ for normal available set $b=3.0$ and $a=0.1$ for short and round fishes, $a=0.01$ for normal
fishes, and $a=0.001$ for eel-like fishes. In the following analysis the values for yield will then be only approximations, but peak in biomass, yield increase in percent, and preliminary exploitation rate will be correct.
$a=0.01920$
$\mathrm{b}=2.68100$
Proceed Back Exit Background
Note: Values for L-W are required for proceeding.

## 20

## Length-weight relationship

$\begin{aligned} & \text { Length-Frequency Analysis Wizard (Limnothrissa } \\ & \text { miodon) }\end{aligned}$
miodon)
Step 5: Actual Yield
Below we show your Length-Frequency data with actual yields in metric tons
The total yield of your sample is 0.20 tons. Note that the $\mathbf{6 2 . 5} \mathbf{~ c m}$ length class
poduced the highest yield ( $\mathbf{0 . 0 6}$ tons) in your sample.
Proceed Back Exit Background
$\mathrm{h}=6$ (Number of Length Classes)
Length (cm) Frequency Yield (tons)

## Actual yield data

Proceed Back Exat Backgound
Note: If your frequency is not in absolute numbers, then the yield yield'
relative

Length-Frequency Analysis Wizard (Limnothrisa miodon)
Step 6: Yield Gruph
Below we show a graph of the yield (biomasss in your sample. Note that small fish usually do not contribute much to the yield. In an unfished or well-managed stock the peak of the yield
curve will be close to Lopt. The greater the distance eetween the peak and Lopt, hee arger
the degree of growth and potentially recruitment overfishing In In your sample the jield peaks the degree of growth and potentially recruitment overishing. In your sample the yield peaks
at 10.25 cm length This graph can be used to monitor the development of a fishery over several years.
Yield (\% of largest value)



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## Length-Frequency Wizard

## FishBase

Length-Frequency Analysis Wizard (Limnothrisa miodon)
Step 7: Growth and Natural Mortality
To estimate exploitation rate from your data and the potential gain from a different fishing rategy you need to know the growth (Linf, K) and natural mortality (M) of your stock a a the Life hist tool to improve our estimates Lmax: 17 cm TL

| Linf: | 18.0 cm TL | Recalculate |
| :---: | :---: | :---: |
| K: | 0.82 1/year | Recalculate |
| M: | 1.59 1/year | Recalculate |



The subsequent calculation of preliminary exploitation rate ( E ) depends on a good estimat of Lopt (which we recalculate here from the growth and mortality values above) and the obser


Yield (\% of largest value)

## Length-Frequency Analysis Wizard (Limnothrissa miodon)

## Step 8: Preliminary Exploitation Rate

The length class 62.5 cm with the highest yield in your L-F sample can be used to obtain a preliminary estimate of total mortality $(Z)$ in your stock. Fishing mortality ( $F$ ) is then obtained from $F=Z-M$, and the exploitation rate of $E=F / Z=1.97$ means that about $\mathbf{2 0 \%}$ of each generation of fish in your sample died from fishing. Exploitation rates of $\mathrm{E}>0.5$ are considered unsustainable for most species and fisheries that include juveniles and adults. Note that if F is close to zero or negative then either your stock is unfished or your L-F sample is not suitable for this analysis.

Preliminary total mortality ( $Z$ ): $\quad-1.39$
Preliminary fishing mortality (F): -2.73
Exploitation rate
Preliminary exploitation rate (E): 1.97
We also provide the Beverton and Holt estimation of $Z$ from $Z=K *(L i n f-L m e a n) /(L m e a n-L ')($ see Step 3):
$B$ \& $H$ total mortality (Z): $\quad-9.36$
$B$ \& $H$ fishing mortality (F): -10.70
$B$ \& $H$ exploitation rate (E): 1.14
Proceed Back Exit Background
For advanced users we also provide an approach to estimate Linf, $Z / K, Z$, annual reproductive rate (alpha), intrinsic rate of population increase (rmax), population doubling time (td), and fishing mortality associated with maximum sustainable yield (Fmsy). Advanced L-F Wizard


$$
\begin{array}{|l|l|l|l|}
\hline \text { Lm } & \text { Lopt } & \text { Linf } & \text { Redraw } \\
\hline
\end{array}
$$

## Length-Frequency Wizard

## FishBase

## Length-Fr miodon)

Step 9: Fishing Strategy Background

## Fishing strategy

Normally you can achieve much higher yields from your stock if you only catch ish with lengths around Lopt. This means you will not catch juveniles in order o let them realize their growth and spawning potential, and you will not catch very big adults, in order to benefit from their high fecundity and their good In the next steps we will calculate the gain in yield if such fishing strategy is applied. Note that such analysis does not make sense for new, unfished, or well managed stocks (peak of yield $>=$ Lopt) or Length Frequency samples that do Change $Z$ below if you want to use the B \& H estimate of $Z=-9.36$ Proceed Back Exit Background

The following parameters vill be used for the subsequent calculations:

| Linf: | $\mathbf{1 8 . 0} \mathrm{cm} \mathrm{SL}$ |
| ---: | :--- |
| K: | $\mathbf{0 . 6 5} 1 /$ year |
| M: | $\mathbf{1 . 3 4} 1 /$ year |
| Z: | $\mathbf{- 1 . 3 9} 1 /$ year |
| Lopt: | $\mathbf{1 0 . 7} \mathrm{cm}$ |

Length-Frequency Analysis Wizard (Limnothrissa
miodon)
Step 10: Calculation of Potential Yield
In this step we calculate the potential yield if you only catch fish around Lop at an average length of $\mathbf{1 0 . 7} \mathbf{~ c m}$, which corresponds to an age of $\mathbf{1 . 4}$ years Thus, the column 'Potential Freq.' contains the number of fish in each length class that will survive to reach 1.4 years, and the column 'Potential Yield contains the contribution of the respective length class to the total potential yield. Note that the numbers in 'Potential Freq.' are lower than the numbers in 'Frequency, due to natural mort Proceed Back Exit Background
$=6$ (Number of Length Classes)
Length (cm) Frequency Actual Yield (tons) Potential Freq. Potential Yield (tons)

| 52.5 | 12.0 | 0.017156 | 0.0 | 0.000000 |
| ---: | ---: | ---: | ---: | ---: |
| 52.5 | 12.0 | 0.017156 | 0.0 | 0.00000 |


| 52.5 | 12.0 | 0.017156 | 0.0 | 0.000000 |
| ---: | ---: | ---: | ---: | ---: |
| 52.5 | 12.0 | 0.017156 | 0.0 | 0.000000 |


| 6.5 | 14.0 | 0.026505 | 0.0 | 0.000000 |
| ---: | ---: | ---: | ---: | ---: |
| 62.0 | 0.056326 | 0.0 | 0.00000 |  |


| 62.5 | 23.0 | 0.056326 | 0.0 | 0.000000 |
| ---: | ---: | ---: | ---: | ---: |

Proceed Back Exit Background

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## Growth

## Growth


-
FishBase and Fish Taxonomy Training Session 2017

## Growth

## Growth

| Growth of Oreochromis esculentus |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Auximetric graph Lm vs Linf graph M vs Linf graph Lm vs Linf graph M vs K graph (loading of graphs may take 2-3 min.) |  |  |  |  |
|  |  |  |  |  |
|  |  |  |  |  |
|  |  |  |  |  |
| Data Type: | scale annual rings |  |  |  |
| sex. | unsexeu |  |  |  |
| Linfinity (cm) : | 32.0 TL |  |  | 95\% confidence limit: |
| $\mathrm{K}(1 / \mathrm{y})$ : | 0.50 Ford/Walford plot | n : | $\mathrm{r}^{2}$ : | 95\% confidence limit: |
| to (y) : $\quad \square$ |  |  |  | 95\% confidence limit: |
| Winf. | 616.00 g | other(see comments) bused :3.000 | $ø \cdot: 2.71$ |  |
| c : |  |  |  |  |
| $\mathrm{m}(1 \mathrm{y})$ : | 1.750 M Ref. :1795 M doubtful? | n: | $\mathrm{r}^{2}$ : | 95\% confidence limit: |
|  | plot of $Z$ on effort |  |  |  |
| Lm (cm) : | 22.0 | 0.69 | Unsexed | TL Lm Ref. : 787 |
| Locality: | Lake Victoria, Kavirondo Gulf |  |  |  |
| Country : | Kenya |  |  |  |
| Environment: | open waters |  |  |  |
| Temp. : | 25.0 Temp. Ref. : |  |  |  |
| Comment: | Winf from Ref. 115 |  |  |  |

There are different source data used for the growth estimation:

1/ otolith annuli.
2/ scale annuli.
3 / other annual rings.
4/ daily otolith rings.
5/ tagging / recapture.
6 / length-frequency data.
7/ direct observations.
8/ several data types.
9/ other possibilities.


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## Growth

## Growth

| Growth of Oreochromis esculentus |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Auximetric graph Lm vs Linf graph M vs Linf gra Lm vs Linf graph M vs K graph (loading of graphs may take 2-3 min.) |  |  |  |  |
|  |  |  |  |  |
|  |  |  |  |  |
| Main Ref. | 787 Data Ref. :787 |  |  |  |
| Data Type: | scale annual rings |  |  |  |
| Sex: | unsexed |  |  |  |
| Linfinity (cm). | 320 TL |  |  | 05\% confidoncolimit. |
| $\mathrm{K}(1 \mathrm{y})$ : | 0.50 Ford/Walford plot | n: | $\mathrm{r}^{2}$ : | 95\% confidence limit: |
| or |  |  |  | sorneontueneemm |
| Winf. | 616.00 g | other(see comments) b used :3.000 | $\varnothing^{\prime}: 2.71$ |  |
| c: |  |  |  |  |
| $\mathrm{m}(1 / \mathrm{y})$ : | 1.750 M Ref. :1795 M doubtful? | n: | $\mathrm{r}^{2}$ : | 95\% confidence limit: |
|  | plot of $Z$ on effort |  |  |  |
| Lm (cm) : | 22.0 | 0.69 | Unsexed | TL Lm Ref. : 787 |
| Locality : | Lake Victoria, Kavirondo Gulf |  |  |  |
| Country : | Kenya |  |  |  |
| Environment: | open waters |  |  |  |
| Temp.: | 25.0 Temp. Ref. : |  |  |  |
| Comment: | Winf from Ref. 115 |  |  |  |

There are different methods to estimate a given set of growth parameters:
1/ Ford-Walford plot.
2/ von Bertalanffy / Beverton plot.
3/ Gulland \& Holt plot.
4/ nonlinear regression. 5/ ELEFAN.
6/ other methods.
See Bougis (1976), Ricker (1980), Gulland (1983), Pauly (1984, 1997), Gayanilo \& Pauly (1997) and other publications for the description of these methods, their underlying hypotheses, conformity of the data and their biases.



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## Growth

## Growth

| Growth of Oreochromis esculentus |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Auximetric graph Lm vs Linf graph M vs Linf graph Lm vs Linf graph M vs K graph (loading of graphs may take 2-3 min.) |  |  |  |  |
|  |  |  |  |  |
|  |  |  |  |  |
| Main Ref. : | 787 Data Ref. :787 |  |  |  |
| Data Type: | scale annual rings |  |  |  |
| Sex: | unsexed |  |  |  |
| Linfinity (cm) : | 32.0 TL |  |  | 95\% confidence limit: |
| $\mathrm{K}(1 / \mathrm{y})$ : | 0.50 Ford/Walford plot | n : | $\mathbf{r}^{2}$ : | 95\% confidence limit: |
| to(v): | 95\% confidence limit. |  |  |  |
| Winf. | 616.00 g | ```other(see comments) b used :3.000``` | $\varnothing^{\prime}: 2.71$ |  |
| $\mathrm{m}(1 / \mathrm{y})$ : | 1.750 M Ref. :1795 M doubtful? | n : | $\mathrm{r}^{2}$ : | 95\% confidence limit: |
|  | plot of $Z$ on effort |  |  |  |
| Lm (cm) : | 22.0 | 0.69 | Unsexed | TL Lm Ref. : 787 |
| Locality: | Lake Victoria, Kavirondo Gulf |  |  |  |
| Country : | Kenya |  |  |  |
| Environment: | open waters |  |  |  |
| Temp.: | 25.0 Temp. Ref. : |  |  |  |
| Comment: | Winf from Ref. 115 |  |  |  |

Conversion of $W_{\infty}$ from $L_{\infty}$ based on following choices:
1/ as given in MainRef. or Ref. for growth.
2/ computed using L/W relationship of the same stock. 3/ computed using L/W relationship of an other stock from the same species.
4/ computed using L/W relationship of a similar species. 5 / other (see Comments).
$\varnothing^{\prime}=$ growth performance index.
It is for comparison with the $\varnothing$ ' index of other stocks from the same species, or from a closely allied species.



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## Growth

## FishBase

## Growth



FishBase makes it possible to reproduce an auximetric plot of growth parameters (K vs. $\mathrm{L}_{\infty}$, on logaritmic basis).

- Possible comparisons with other miscellaneous species, species of the same family, or current species.
- Possibility to change the growth parameters and redraw the plot.


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## Growth

## FishBase

## Growth



FishBase makes it possible to reproduce an auximetric plot of growth parameters (K vs. $\mathrm{L}_{\infty}$, on logaritmic basis).
Possible comparisons with other miscellaneous species, species of the same family, or current species.
Possibility to change the growth parameters and redraw the plot.


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## Life-History Tool

## FishBase

The Life-History Tool contains the different parameters on population dynamics and life history of a certain species, such as growth, length at first maturity,
It uses the best available data in FishBase as default for the various equations, but users can replace



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## More info:

## FAO Fisheries Technical Paper 306: Introduction to tropical fish stock assessment.

Christensen, V. \& J. MacLean (2011) Ecosystem approach to fisheries. Cambridge University Press, Cambridge. 325 p.

- Pauly, 1997 (adaption française par J. Moreau) Méthodes pour l'évaluation des ressources halieutiques. Editions CEPADUES, Toulouse. 288 p.


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